Community energy storage: A smart choice for the smart grid?

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Community Energy Storage: A smart choice for the smart grid?

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Abstract

Energy storage can help integrate local renewable generation, however the best deployment level for storage remains an open question. Using a data-driven approach, this paper simulates 15-minute electricity consumption for households and groups them into local communities of neighbors using real locations and the road network in Cambridge, MA. We then simulate PV for these households and use this framework to study battery economics in a high PV adoption, high electricity cost scenario, in order to demonstrate significant storage adoption. We compare the results of storage adoption at the level of individual households to storage adoption on the community level using the aggregated community demands. Under the simulated conditions, we find that the optimum storage at the community level was 65\% of that at the level of individual households and each kWh of community battery installed was 64-94\% more effective at reducing exports from the community to the wider network. Therefore, given the current increasing rates of residential battery deployment, our research highlights the need for energy policy to develop market mechanisms which facilitate the deployment of community storage.

Keywords: Community energy storage, battery energy storage, distributed PV, smart energy communities, renewable energy communities

1. Introduction

It is well known that the generation from roof-top PV systems is not generally aligned with peak electricity loads and this can lead to limits on the proportion of solar generation that can be integrated in traditional systems [1]. Until recently this has not caused significant concern for grid operators as PV adoption rates have been low, however several factors mean this is now changing, including continual declines in the price of solar panels [2], continually increasing residential electricity prices, favorable public opinion towards solar [3] and strong government support mechanisms [4]. As a result, evermore households are installing roof-top PV systems. This has led to significant concerns regarding the over-prevalence of PV generated electricity in electricity networks [5, 6].

Concurrent with increasing residential electricity prices, the rewards for exported solar electricity are falling. Therefore, local PV self-consumption is gaining attention in several countries [7, 8]. Energy storage is one effective way of allowing a larger fraction of demand to be met by PV-generation [9] and recent work has demonstrated that batteries can be used to increase the amount of PV that can be reliably integrated into the distribution network [10]. Other methods of increasing PV penetration include novel curtailment methods [11] and better PV and demand forecasting [12]. However, motivated by progress in battery development and public attention, recent studies have examined the techno-economic impacts of PV-coupled batteries in individual dwellings, examining the required conditions for economic profitability in terms of capital expenditure as well as retail tariffs and export prices [13, 14, 15]. Together with storage for frequency control, PV-coupled batteries have become a key business area for energy storage developers, with regions such as Germany and California leading the way [16].

In contrast to storage in individual dwellings, energy storage can also be introduced for communities, i.e. Community Energy Storage (CES) [17]. The CES is then shared between members of the smart energy community, who are typically (although not exclusively) located in close proximity. Already many countries have
experienced increases in “renewable energy communi-
ties”, groups of neighbors motivated to reduce their en-
ergy costs and promote the development of renewable
energy [18]. In general, the CES then acts as an en-
ergy management system for the community. Related
to the local energy communities concept are microgrids,
localised electrical systems that can operate indepen-
dently from the larger grid [19]. The topic of optimiz-
ing microgrids for renewable integration has gained much
attention in the last decade [20], as well as their interac-
tions with electricity markets [21] and ability to provide
demand response [22] with electric vehicles and station-
ary energy storage devices [23]. Recent research has
also studied the optimal power flows between clusters
of microgrids [24] and optimized over multiple cri-
teria, including costs and robustness related factors [25].
While microgrids imply independent control from the
wider electrical network and clear electrical boundaries,
smart energy communities can form in localised sec-
tions of the main electricity system without significant
autonomy.

Similar to the advantages for community renewable
energy, potential advantages of CES acknowledged in
the previous literature are economies of scale for batter-
ies and benefits related to the lower likelihood of short
duration consumption peaks [26]. However, a system-
atic comparison of batteries for individual dwellings and
communities in terms of size, location, electricity flows
and economic attractiveness is so far lacking and this
study aims at providing insights into the optimum ag-
gregation level of storage deployment next to the con-
sumption centres. One particular problem in the study
of smart energy communities is the lack of location
data associated with openly available electricity meter
data, due to privacy concerns. Therefore, in this work
we simulate community formation by connecting to-
gether neighboring households along the road network
and matching real monthly consumption values to data
sources where 15-minute consumption is available [27].
We also simulate realistic PV generation profiles based
on real PV generation data. We then use the household
demand profiles or the aggregate community demand
profiles to estimate an economically optimum level of
storage for each household and community respectively,
with the main contribution of our work being a compar-
ison between the two storage scales.

<table>
<thead>
<tr>
<th>Nomenclature</th>
<th>Acronyms</th>
<th>Parameters and Variables</th>
</tr>
</thead>
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<tr>
<td><strong>Acronyms</strong></td>
<td></td>
<td></td>
</tr>
<tr>
<td>CES</td>
<td>Community Energy Storage</td>
<td>$J$ within cluster sum of squares</td>
</tr>
<tr>
<td>EAC</td>
<td>Equivalent Annual Cost</td>
<td>$K$ number of clusters</td>
</tr>
<tr>
<td>EAV</td>
<td>Equivalent Annual Value</td>
<td>$Li$ battery lifetime (years)</td>
</tr>
<tr>
<td>EFC</td>
<td>Equivalent Full Cycles</td>
<td>$OM$ operation &amp; maintenance cost ($)</td>
</tr>
<tr>
<td>IRR</td>
<td>Internal Rate of Return</td>
<td>$p^B$ battery power (kW)</td>
</tr>
<tr>
<td>NPV</td>
<td>Net Present Value</td>
<td>$p_{R,chg}, p_{R,dis}$ battery rated charge/discharge (kW)</td>
</tr>
<tr>
<td><strong>Subscripts</strong></td>
<td></td>
<td></td>
</tr>
<tr>
<td>$i$</td>
<td>for the $i$-th consumer</td>
<td>$SOC_{min}/SOC_{max}$ min/max battery state of charge (kWh)</td>
</tr>
<tr>
<td>$j$</td>
<td>for the $j$-th cluster</td>
<td></td>
</tr>
<tr>
<td>$y$</td>
<td>for the $y$-th year</td>
<td></td>
</tr>
<tr>
<td><strong>Parameters and Variables</strong></td>
<td></td>
<td>$SOC$ battery state of charge (kWh)</td>
</tr>
<tr>
<td>$\epsilon$</td>
<td>uniformly distributed random variable</td>
<td>$\Delta SOC$ change in battery state of charge (kWh)</td>
</tr>
<tr>
<td>$\eta^{chg}/\eta^{dis}$</td>
<td>battery charging/discharging efficiency (%)</td>
<td></td>
</tr>
<tr>
<td>$\pi^{grid}/\pi^{x}$</td>
<td>electricity price for the grid, for exported solar ($/kWh$)</td>
<td>$c_j$ centroid location of the $p$-th cluster</td>
</tr>
<tr>
<td>$C^i$</td>
<td>cost of electricity for consumer $i$ ($)</td>
<td>$capCost$ total capital costs ($)</td>
</tr>
<tr>
<td>$C_{PV}^i$</td>
<td>cost of electricity with PV only ($)</td>
<td>$d_i$ demand of consumer $i$ (kW)</td>
</tr>
<tr>
<td>$CF_y$</td>
<td>cash flow in year $y$ ($)</td>
<td>$d_i^0$ initial demand of consumer $i$ (kW)</td>
</tr>
<tr>
<td>$\Delta t$</td>
<td>duration of time period $t$</td>
<td>$l_i$ location of consumer $i$</td>
</tr>
<tr>
<td>$\pi^{x}$</td>
<td></td>
<td>$r^d$ discount rate (%)</td>
</tr>
<tr>
<td>$\pi^{grid}$</td>
<td></td>
<td>$s_i$ PV generation of consumer $i$ (kW)</td>
</tr>
<tr>
<td>$t$</td>
<td>time period (15-minute timestep)</td>
<td>$\Delta t$ duration of time period $t$</td>
</tr>
</tbody>
</table>
We utilize monthly electric bills obtained from a local electric utility in Cambridge and smart meter data from the Pecan Street project, based in Austin Texas. This provides a source of 15-minute resolution electricity data for in excess of 1000 households, as well as solar generation with the same temporal resolution for those households with rooftop PV installed [28]. Figure 1a shows the daily load and generation data for an example home on a typical April day. We define misalignment as the proportion of a consumer’s solar generation that they do not consume, as shown in Equation 1.

\[
\text{misalignment} = \frac{\text{PV exported}}{\text{Total generation}} \tag{1}
\]

Figure 1b shows the distribution of total misalignments for consumers in the Pecan Street data with PV installations for the month of April. It can be seen that the misalignment between the generation and consumption is significant and observe that the average misalignment for all homes over the month of April is 57%, therefore only 43% of electricity they produce matches their demand. We also compare the misalignment estimated at two temporal resolutions and see that higher temporal resolutions are important for accuracy [7].

Figure 1: (a) a daily load and generation profile in April. (b) monthly misalignment values between generation and demand for all homes

The rest of this paper is structured as follows. Section 2 describes the creation of the local smart energy communities, the simulation of the 15-minute electricity consumption and PV generation, and the battery model. Section 3 gives the simulation results, including the effects of the simulated batteries and the economic results, Section 4 provides a brief discussion and Section 5 presents the main conclusions.

2. Methods

2.1. Creating local smart energy communities

To form the communities we use monthly electric bills from an electric utility in Cambridge, MA, which contain monthly consumption and addresses for 4574 households. Our aim is to make communities formed of groups of neighboring households, hence we join consumers along the road network. Firstly, we establish a root node for each community by clustering the address locations into 200 groups using longitude/latitude values obtained by geolocating. The clusters are formed using $k$-means and the euclidean distance metric. The $k$-means approach iteratively moves $K$ cluster centroids to minimize the objective function:

\[
J = \sum_{j=1}^{K} \sum_{i=1}^{N} (l_{ij} - c_j)^2 \tag{2}
\]

Here, $l_{ij}$ is the $i$th household location which has been assigned to the $j$th cluster with centroid location $c_j$. Then, to establish root nodes for each of the communities we find the central point of the cluster and take the root node as the node closest to that point. All of the locations corresponding to the geo-located addresses are then connected to the road network available from Open Street Maps. Each community is then grown out-
wards from the root node along the road network using a multi-source breadth-first search method based on the Dijkstra shortest path algorithm. A flow chart of the algorithm is shown in Figure 2. This aims to provide realistic communities of neighbors (Figure 3) formed of localised groups of households. It is also worth noting that the connections between the community members could provide an approximation for the electrical distribution network, which typically follows roads. However, this is not always the case and the exact topology of the network is not openly available due to security constraints.

2.2. Simulating 15-minute demand and generation

Each of the household consumers (i.e. each of the buildings) in our smart energy communities has a monthly electric consumption associated with it. Firstly, we compare the monthly consumption distributions for all households between the Pecan Street data and the Cambridge data and find that the distribution for April best matches Cambridge in July, which is likely due to the low electric cooling loads at this time in Austin. Additionally the Cambridge distributions are similar throughout the year (see Figure 4). Restricting to the month of April yields 484 Pecan households with a complete month of data. We bin both datasets into distinct monthly usage brackets and for each of the Cambridge households a Pecan Street demand profile in April in the same monthly usage bracket is randomly selected, scaling by a constant factor to match the exact Cambridge usage. Random noise of the form $d_i(t) = d_i^0(t)(1 + 0.2\epsilon)$ is added, where $d_i^0(t)$ is the initial demand of the consumer $i$ at time $t$, $d_i(t)$ is the demand after noise has been added, $\epsilon$ is a uniformly distributed random variable in the range $[-1, 1]$ and the factor of 0.2 is added to keep the demand within 20% of the Pecan Street profile.

To simulate each household’s PV generation, we use the real generation profiles available in the Pecan Street data. We observe that for the Pecan Street households with PV, the distribution of the ratio between their monthly generation and consumption is best described by a lognormal probability distribution, as shown in Figure 5. Furthermore, we note by comparing solar irradiance data from the National Solar Radiation DataBase (NSRDB) [29] for the nearest weather stations that the yearly average Cambridge irradiance is closest to the February irradiance profile for Pecan Street. Therefore, for each Cambridge household we randomly select a Pecan Street PV profile in February, with the probability of accepting that selection given by the lognormal probability distribution of the ratio of generation to consumption. In this way, the Cambridge PV profiles are modeled after real PV generation profiles, and we ensure that the ratio between generation and consumption is preserved.

This leaves us with one month of simulated 15-minute demand and one month of potential PV generation for the simulated households. In the rest of our work we consider that 40% of households choose to install rooftop-PV. It is important to note that since the solar adoption is random, a given community may have significantly more or less than 40% solar adoption (although we choose an adoption scenario where all communities have at least one solar installation). We find that as a result of this probabilistic adoption the solar penetration ranges from 17-80% within the individual communities, which generalizes our results to a high degree.

2.3. Household and Community batteries

We develop a model for lithium ion batteries for residential storage since this technology is already predominant for both residential and utility applications, given its good C-rates, no memory effect, slow calendar losses and low maintenance costs [30]. The charge-discharge equation is shown by Equation 3. $SOC(t)$ is the battery’s state of charge at time $t$ and $\Delta SOC(t)$ is the change in the state of charge, which can be either positive (charging) or negative (discharging). The battery must always obey the constraints in Equations 4 and 5. We denote the charging and discharging efficiencies of the battery as $\eta^{chg}$ and $\eta^{dis}$ respectively. The change in the battery’s state of charge $\Delta SOC(t)$ is related to the power transfer $P^B(t)$ at period $t$ by Equations 6 and 7.

$$SOC(t) = SOC(t-1) + \Delta SOC(t)$$

$$SOC_{min} \leq SOC(t) \leq SOC_{max}$$

$$P^{B,dis} \leq P^B(t) \leq P^{B,chg}$$

$$P^B(t)\Delta t^{chg} = \Delta SOC(t)$$

$$P^B(t)\Delta t^{dis} = \Delta SOC(t)$$

In our simulations, we assume that batteries are used to minimize the cost of either a household’s or a community’s total electricity. The cost of electricity at a particular time period for consumer (i.e. a household or community) $i$, $C_i(t)$, is dependent on whether the consumer is net importing or exporting at the time, and is expressed conditionally in Equations 8 and 9.
Figure 3: Illustrating the communities created. The inset at the bottom left shows the distribution of community sizes and the inset in the top right zooms in to show the local community highlighted in red.

Figure 4: The distribution of monthly usage for Cambridge and Austin. (a) Cambridge in July and Austin in April. (b) Both cities in all months (2015)

Figure 5: (a) Generation to consumption ratio for Pecan Street households fitted by a lognormal probability distribution. (b) The simulated Cambridge distribution.

\[
C_i(t) = \begin{cases} 
[d_i(t) - s_i(t) + P_{Bi}^B(t)] \Delta \pi_{\text{grid}} & \text{for } d_i(t) + P_{Bi}^B(t) \geq s_i(t) \\
[s_i(t) - (d_i(t) + P_{Bi}^B(t))] \Delta \pi_{\text{ex}} & \text{for } d_i(t) + P_{Bi}^B(t) < s_i(t)
\end{cases}
\]  

(8)

(9)

Here \(d_i(t)\) is the consumer (household or community) demand at time \(t\), \(s_i(t)\) is any PV generation, \(P_{Bi}^B(t)\) is the battery action and \(\pi_{\text{grid}}\) and \(\pi_{\text{ex}}\) are the costs for grid electricity and the reward for excess solar respectively. The battery is scheduled as framed in Equation 10 (for 1 month — i.e. 2880 15 minute time periods).

\[
\text{Minimize } \sum_{t=1}^{2880} C_i(t) \tag{10}
\]

When considering a battery for an individual household, \(d_i(t)\) is the electric usage of that household and \(s_i(t)\) is their PV generation at time \(t\). Surplus PV (if not stored by the household) is used by the community neighbors or exported from the community to the wider network if no neighbors require electricity. When considering a community, \(d_i(t)\) is the sum of the demand of all households in the community and \(s_i(t)\) is the sum of all the PV within the community at time \(t\). Therefore, surplus PV from a household is first used by the neighbors before being stored or exported from the community.
Equation 10 is essentially a simple unit commitment problem with one controllable aspect — the battery. The result of the minimization in Equation 10 is then the schedule of operation of a consumer’s battery which minimizes their electricity bill. We explicitly form this problem as a cost minimization to reflect the primary interest of domestic consumers for using batteries, which is to reduce their electricity costs [31] and note that this assumption is that the seasonal variations in solar are similar throughout the year (Figure 4b), however a key consideration with a strategy that maximizes the consumers self-consumption.

In the simulated month, the total saving provided by consumer i’s battery is expressed by:

\[ S_i^B = \sum_{t=t_1}^{t_1+T_{sim}} C_i^{PV}(t) - \sum_{t=t_1}^{t_1+T_{sim}} C_i(t) \]  

(11)

In Equation 11, the first term represents the consumer’s monthly electricity bill with PV-only including the income from surplus PV as calculated in Equations 8 and 9 with \( P_i^{grid} = 0 \). Explicitly, \( C_i^{PV}(t) = [d_i(t) - s_i(t)]\Delta t\pi^{grid} \) if \( d_i(t) \geq s_i(t) \) and \( C_i^{PV}(t) = -[s_i(t) - d_i(t)]\Delta t\pi^{ex} \) if \( d_i(t) < s_i(t) \). The second term in Equation 11 is the consumer’s electricity bill including the PV and battery system as calculated in Equations 8 and 9. The total benefit of the battery is positive if the savings are greater than the cost over its lifetime, \( Li \). To assess this we use the discounted cash flow model which discounts future cash flows by the discount rate \( r^d \), so that the time value of money is accounted for. \( Li \) is estimated in years by \( Li = 3000/(12\times EFC) \), which assumes that each battery can perform 3000 equivalent full cycles and EFC is the equivalent full cycles performed during the simulated month. The Equivalent Annual Value (EAV) of each consumer’s battery is then expressed by Equation 12.

\[ EAV_i = capCost_i \frac{r^d (1 + r^d)^{Li}}{(1 + r^d)^{Li} - 1} + OM_i \]  

(12)

\( OM_i \) is the annual operation and maintenance cost of the battery and \( capCost_i \) is the capital cost. Since our simulation is monthly, we extrapolate the monthly battery savings \( S_i^B \) to annual values, therefore the Equivalent Annual Value is:

\[ EAV_i = 12 \times S_i^B - EAC_i \]  

(13)

This is reasonable as the Cambridge demands are similar throughout the year (Figure 4b), however a key assumption is that the seasonal variations in solar are ignored. While this could be improved, this approach is an improvement on other works which have simply considered an average day [32]. We discuss the effect of using a winter month on our estimated storage viability in the results section. Additionally, while it would be preferable to use yearly data, restricting our search of the Pecan Street data to households with yearly data left significantly fewer households.

For each household or community, we consider feasible battery sizes in the range 0-250 kWh and select...
the battery size which maximizes \( EAV \) in Equation 13. The upper range of 250 kWh is selected based on the maximum battery size which has a positive \( EAV \) for any community. Figure 7 summarizes the process schematically.

![Figure 7: Summarizing the entire process for estimating the battery size which maximizes \( EAV \) for each household or community.](image)

Finally, we then estimate the Internal Rate of Return (IRR) for each of the household and community batteries. IRR is defined as the discount rate required for the Net present Value (NPV) of the battery to be zero. The NPV is the sum of the present values of anticipated monetary flows regarding the battery over the course of its lifetime, as shown by Equation 14. Each yearly net cash flow \( CF_y \) is the sum of the yearly cash inflows and outflows, i.e. the annual battery savings and any expenditure for that year (including capital and maintenance costs) respectively. Therefore IRR is found by solving Equation 14 for \( NPV = 0 \).

\[
NPV = \sum_{y=0}^{y_{\text{end}}} \frac{CF_y}{(1+r)^y}
\]  

(14)

In order to estimate the battery cost we assume that it is composed of three main components. These include the cell costs, the inverter costs and the maintenance costs which are modeled depending on the battery size. Although Balance of Plant (BOP) costs are sometimes considered separately, many modern battery manufacturers integrate these within the cell costs that they quote. We assume cell costs of $250/kWh, inverter costs of $500/kW [33] and annual maintenance costs of $10/kW [34]. Additionally, the inverter is sized to match the maximum charge/discharge rates of the battery and a reasonable estimate for lithium-ion batteries performing stationary applications is \( 0.5 \times SOC_{\text{max}} \). This is a typical value for stationary energy storage applications — much higher C-rates have been demonstrated and are typically proposed for transport applications, however these are detrimental for cycling capacity [35]. Our battery costing model assumes that the cell stack cost increases linearly with the battery capacity but there is cost reduction with the scale for the inverter and maintenance costs. This was confirmed with several battery and inverter manufacturers and developers and based on these discussions we assume that the inverter costs scale to the power of 0.7 after 3kW and the maintenance costs scale to the power of 0.6 after 10kW as a first attempt to model these economies of scale. This cost model has also been used in [36]. This leads to a calculated capital cost of $6,200 for a 14kWh battery and a yearly maintenance cost of $80, and is similar to the anticipated capital cost of the 14kWh/7kW Tesla Powerwall 2 [37] (quoted at $6,200 including the supporting hardware) and including the inverter. Figure 8 shows the battery costs as a function of the capacity.

![Figure 8: Capital and maintenance costs against battery size in kWh.](image)

2.4. Summary

A summary of the battery properties is given in Table 1. We assume electrical costs of \( \pi^{\text{grid}} = $0.35/kWh \) and that exported solar electricity is rewarded at \( \pi^{\text{ex}} = $0.05/kWh \). Our reasons for adopting these prices is to demonstrate a regime in which there may be significant storage adoption and because $0.05/kWh is a typical price level for wholesale electricity in our simulated region. It is worth noting that in 2015 the average price of residential retail electricity in Massachusetts...
Table 1: Simulated battery properties. These properties are reflective of Lithium ion batteries using nickel manganese cobalt chemistry with a typical nominal voltage of 3.6-3.7V/cell.

<table>
<thead>
<tr>
<th>Property</th>
<th>Value of Function</th>
</tr>
</thead>
<tbody>
<tr>
<td>Lithium ion cell cost</td>
<td>$250/kWh</td>
</tr>
<tr>
<td>C-rate (charge and discharge)</td>
<td>0.5</td>
</tr>
<tr>
<td>Inverter cost (3kW)</td>
<td>$1500</td>
</tr>
<tr>
<td>Inverter cost [Inverter cost (3kW)]×([Capacity(kW)]/3)^0.7</td>
<td></td>
</tr>
<tr>
<td>O&amp;M cost (10kW)</td>
<td>$100</td>
</tr>
<tr>
<td>O&amp;M cost [O&amp;M cost (10kW)]×([Capacity(kW)]/10)^0.6</td>
<td></td>
</tr>
<tr>
<td>Charging efficiency</td>
<td>94.8%</td>
</tr>
<tr>
<td>Discharging efficiency</td>
<td>94.8%</td>
</tr>
<tr>
<td>Max. allowed cycle depth</td>
<td>85%</td>
</tr>
<tr>
<td>Lifetime cycles</td>
<td>3000</td>
</tr>
</tbody>
</table>

was $0.19/kWh and it is widely understood that at current US prices neither batteries nor PV are economic without subsidies [38, 39]. However, electricity prices all across the world are rising and in other developed nations the price of electricity is significantly higher. In Germany prices are typically around $0.36/kWh and in the UK the average electricity price is $0.25/kWh. Export rewards for PV generation are also falling rapidly [13].

In all our calculations we assume a round-trip battery efficiency of approximately 90%, with equal charging and discharging efficiencies. It is worth noting that in other storage technologies (for example in compressed air energy storage) charging and discharging efficiencies could be substantially different. We use a timestep Δt = 15 minutes and a discount rate r_d = 5%. When calculating the IRR we also assume that retail electricity prices rise at 2% per year and Operation and Maintenance costs (OM) also rise at 2% per year.

Figure 9: (a) The benefit and costs of battery against battery size. For this particular community we see that the net benefit is maximized at 83kWh. (b) The load profile of the community with and without an 83 kWh battery.

3. Simulation Results

3.1. Optimum storage size for one community

Figure 9 illustrates how the optimum size of battery is calculated for one community (the process is the same for each community as well as for each household). For this community, the cost of very small battery systems is greater than the potential savings, however, as the battery capacity is increased the savings introduced by the battery become greater than the costs. When this is true there is a net economic benefit to the battery. The rate of increase in the battery savings eventually decreases and subsequently intersects again with the equivalent annual cost of the battery — at this point there is no net benefit from installing storage and the annualized saving is equal to the cost. Between these two values there is a clear maximum in the EAV, which for the particular community in Figure 9 occurs at 83 kWh. We consider that the point of maximum total benefit is the optimum economic level of energy storage. Figure 9b shows the effect that the 83 kWh battery has on the load profile of the community. It is clear that the storage substantially reduces the surplus solar electricity which is exported to the wider electrical grid. However, it is not the best economic choice to store all of the surplus solar energy, as to do this would require over-sizing the battery for most of its use.

3.2. Results for all households and communities

Using the same approach, it is possible to calculate the optimum storage level for all of the communities as well as for all the individual households. Distributions
of the optimum battery sizes are shown in Figure 10. Although when sized for individual households the batteries installed have smaller capacities, we find that the total storage capacity installed in the household scenario is 13.0 MWh compared to only 8.5 MWh in the community scenario. For communities, 39% do not require any storage due to the aggregating effect of the community (in general, communities with less than 26% PV penetration do not require storage). In addition, we find that due to higher inverter and maintenance costs per unit capacity, smaller battery systems below 4kWh are not found to be economic. Typically, we find the optimum capacity for households is in the 5-22 kWh range, with the average optimum at 12 kWh. It serves as validation that this does indeed correspond to typical battery sizes available on the residential storage market. For communities, the corresponding range is much larger, spanning 5-200 kWh, due to the different community sizes and PV penetration levels. Figure 10c shows that for communities in which it is economic to install a battery, the capacity increases by approximately 1.7 kWh per household for a 10% increase in solar adoption.

Table 2 compares the household and community battery scenarios for the simulated month. We find that community batteries generally offer better return on investment than household batteries. We also see that for communities, the battery IRR increases as the fraction of households with PV in the community increases (see Figure 11). Considering the smart energy communities, CES is also much more effective at reducing the imports and exports between the communities and the wider grid. In total, the monthly imports for all the communities were reduced by 91 MWh, from a total of 2523 MWh to 2432 MWh with community batteries. This compares to a reduction of 60 MWh with household batteries. While the total reduction in imports is small, it is informative to compare against the maximum possible reduction. This is equivalent to the base exports — the total solar generation that is unused. Hence the community batteries reduced imports by 70% of the maximum including the losses in the battery compared to 46% with household batteries. The corresponding reduction in exports is larger in both cases - due to the efficiency loss of the battery. For community batteries this was 102 MWh while for household batteries it was 80 MWh. These values represent 78% and 62% of the total potential reduction in exports respectively. The reduc-

<table>
<thead>
<tr>
<th></th>
<th>Individual household batteries</th>
<th>Community batteries</th>
</tr>
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<tbody>
<tr>
<td>Total demand (MWh)</td>
<td>3244</td>
<td>3244</td>
</tr>
<tr>
<td>Solar generation (MWh)</td>
<td>851</td>
<td>851</td>
</tr>
<tr>
<td>Base imports</td>
<td>2523</td>
<td>2523</td>
</tr>
<tr>
<td>Base exports (MWh)</td>
<td>130</td>
<td>130</td>
</tr>
<tr>
<td>Total storage capacity (MWh)</td>
<td>13.0</td>
<td>8.5</td>
</tr>
<tr>
<td>Average IRR (%)</td>
<td>8.0</td>
<td>9.3</td>
</tr>
<tr>
<td>Imports with storage (MWh)</td>
<td>2464</td>
<td>2432</td>
</tr>
<tr>
<td>Exports with storage (MWh)</td>
<td>49.5</td>
<td>27.8</td>
</tr>
<tr>
<td>Import reduction per kWh storage (kWh per kWh storage)</td>
<td>4.6</td>
<td>10.7</td>
</tr>
<tr>
<td>Export reduction per kWh storage (kWh per kWh storage)</td>
<td>6.2</td>
<td>12.0</td>
</tr>
</tbody>
</table>
tion in exports with household batteries also does not translate directly into a reduction in the community exports, because consumers are scheduling their batteries according to their own load profile, thus they often store solar energy when it could be used by their community neighbors. This has the effect of increasing the overall community imports due to the efficiency penalty associated with the battery. Calculating the reductions per unit of storage installed further emphasizes the advantages of community batteries. Each kWh of community battery reduced the monthly imported electricity on average by 10.7 kWh and the corresponding exports by 12.0 kWh, compared to 4.6 kWh and 6.2 kWh respectively for household batteries.

3.3. Sensitivity to the solar resource

Finally, we examine the sensitivity of the results to the solar resource. To do so we model PV generation from the month of January in Cambridge, when the solar resource is significantly smaller than the yearly average. To simulate the solar PV profiles for our Cambridge households we use Pecan solar data for December. We also ensure that each Cambridge household is assigned generation data from the same Pecan PV installation as for their yearly average generation. We find that the community battery IRRs suffer significantly, with the average IRR falling from 9.3% to 4.6%, whereas the corresponding reduction for household batteries is much more modest, dropping only from 8.0% to 7.1%. The explanation for this is that the optimum storage size for households is generally smaller than their solar exports, and therefore even with January solar production the reduction in the use of household batteries is small. Conversely the optimum community battery capacities store much higher proportions of the excess solar production, so they are under-utilized to a much greater extent when the solar production is decreased. However, community storage was still far more effective at reducing imports and exports. This result is in agreement with a previous study which informed that the community scale helps to increase the size of the optimal battery capacity relative to the maximum storage demand, defined as the largest daily PV surplus energy throughout the year [40]. The corresponding values were an import reduction of 5.6 kWh and export reductions of 6.2 kWh per kWh of community battery capacity installed, compared to 2.4 kWh and 3.8 kWh per kWh installed for household batteries.

4. Discussion

In our analysis, storage is operated to minimize the cost of a consumer’s electricity, which under our assumed pricing structure is equivalent to the operation which maximizes PV self-consumption. However, there are many other applications for storage to create value. These include provision of ancillary services [41] and participation in energy markets with fluctuating prices [42], although a minimum size threshold is required for the latter [43]. One method of further incentivizing community storage could be through capacity tariffs [44] which explicitly reward the limitation of imports and exports in power terms. These tariffs are already offered by utility companies to medium and large industrial customers and are expected to become more relevant for residential consumers in future, especially with the anticipated increase in the deployment of electric vehicles and heat pumps.

This work raises questions in terms of storage ownership and operation — i.e. which parties can have a financial interest in storage. While for individual household storage it seems clear that the household owner or occupant should be able to own and operate the storage, a CES system could be community-owned, utility-owned, owned by the Distribution network operator (DNO), or owned by a combination of stakeholders. The relevant electricity tariff structure would have to account for the stakeholders involved [45]. While household consumers are offered a standard set of electricity tariff options, any CES must be negotiated on a case-by-case basis. Therefore, policy developments which introduce standardized community storage options would be invaluable in understanding the financial arguments.

It is likely that the framework we have developed is useful for other purposes. To create the local communities, we have employed aspects graph theory which has yielded estimates for the local topology of the distribution network. Each household is a connected node in the network and we have simulated electricity consumption and generation at each node in the network. It would
serve as a validation to compare the network topology produced with a real distribution network, however this information is typically unavailable due to security concerns. If this could be done, however, then different spatial deployments of PV and storage could be studied, to find the locations in the network where benefits were maximized, for example, by minimizing line losses in the distribution network and delaying (or even avoiding) investments in infrastructure such as transformers or extra transmission capacity.

5. Conclusions

Our results illustrate that community energy storage has a number of advantages over household storage including, decreasing the total amount of storage deployed, decreasing surplus PV generation which must be exported to the wider network and subsequently increasing the self-sufficiency of local smart energy communities. The increase in community self-sufficiency arises from the fact that household batteries are scheduled according to the needs of the individual households, and thus often store excess solar when it could be used by neighboring households.

In terms of economic arguments, we found that IRR values were higher for community storage than for household storage. Additionally, for community storage the IRR increased with the amount of PV in the community. However, this meant that it was also more sensitive to the solar resource, suffering significantly more than household IRR if the solar resource was decreased.

Therefore finally, due to the system-wide benefits of community storage, we argue that specific market mechanisms should be developed which favor community storage deployment, especially in regions where the proportion of solar households is high or is expected to rise significantly in future. This is especially important because of the high energetic costs of batteries and the finite nature of materials required for battery manufacture. This work is timely due to the potential for a boom in household battery adoption in high solar regions.

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